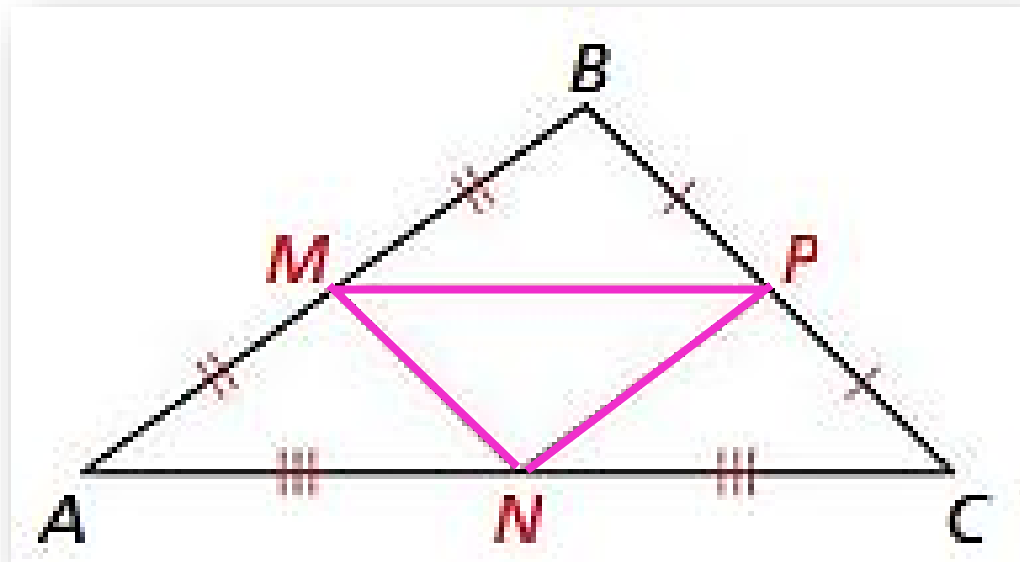


The Triangle Midsegment Theorem

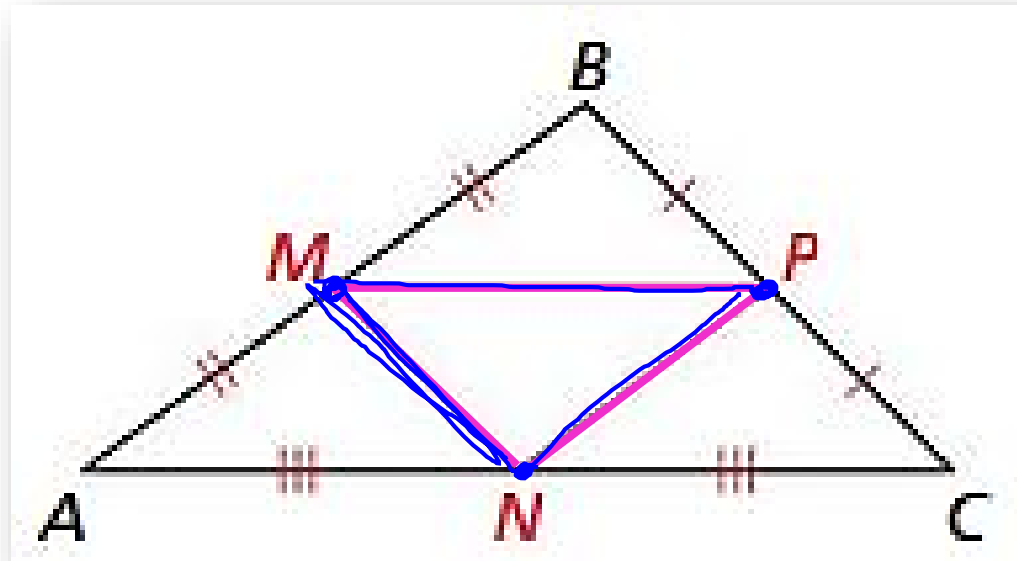
Lesson 6.4



The Midsegment of a Triangle

The **midsegment** of a triangle is a segment that connects the **midpoints of two sides** of a triangle.

Every triangle has three midsegments which form the midsegment triangle.



Observations

What do you notice about the slopes of \overline{DE} and \overline{AC} ?

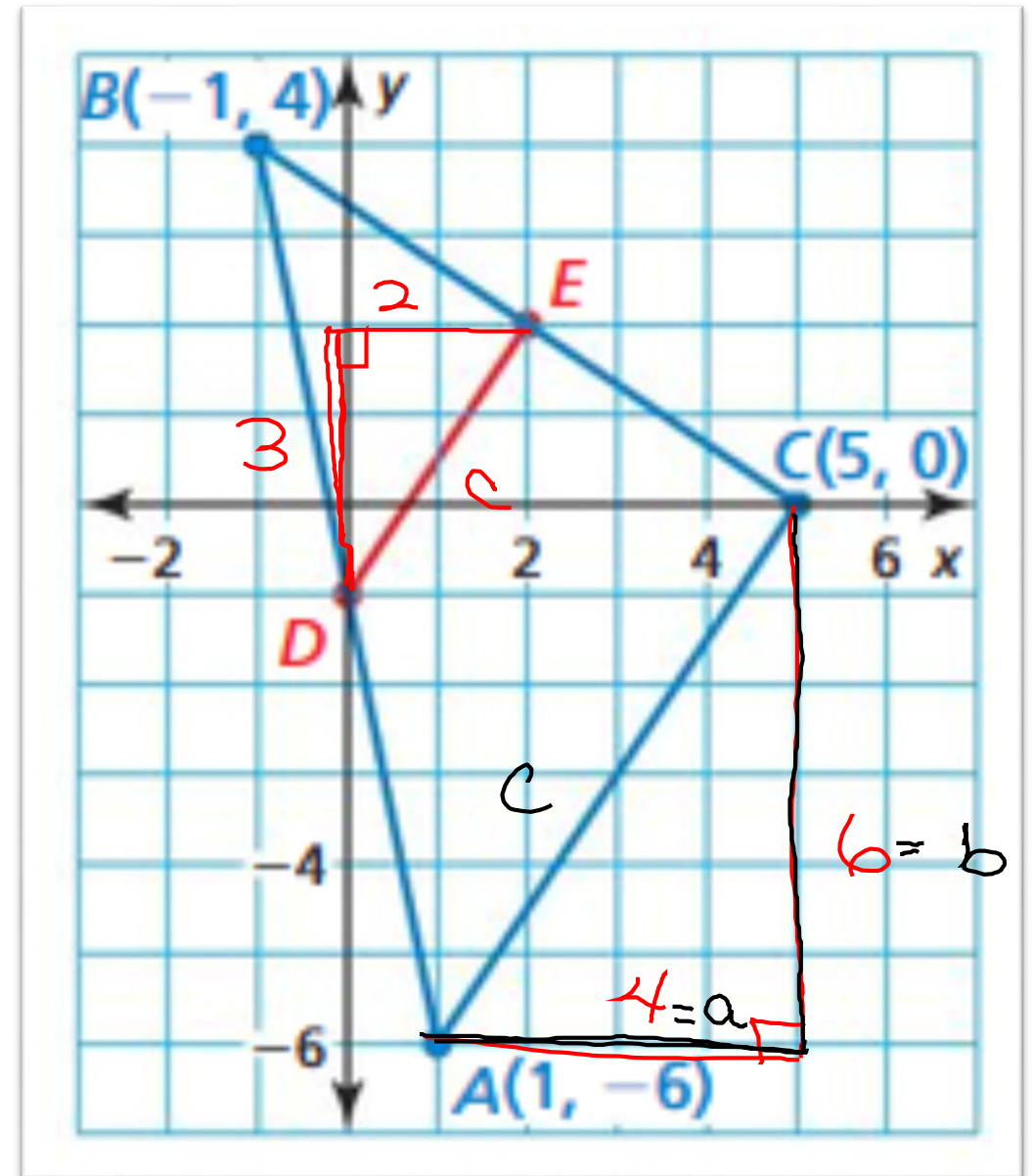
Same slope, \parallel

$$m \text{ of } \overline{DE} = \frac{3}{2} \quad m \text{ of } \overline{AC} = \frac{6}{4}$$

What do you notice about the lengths of \overline{DE} and \overline{AC} ?

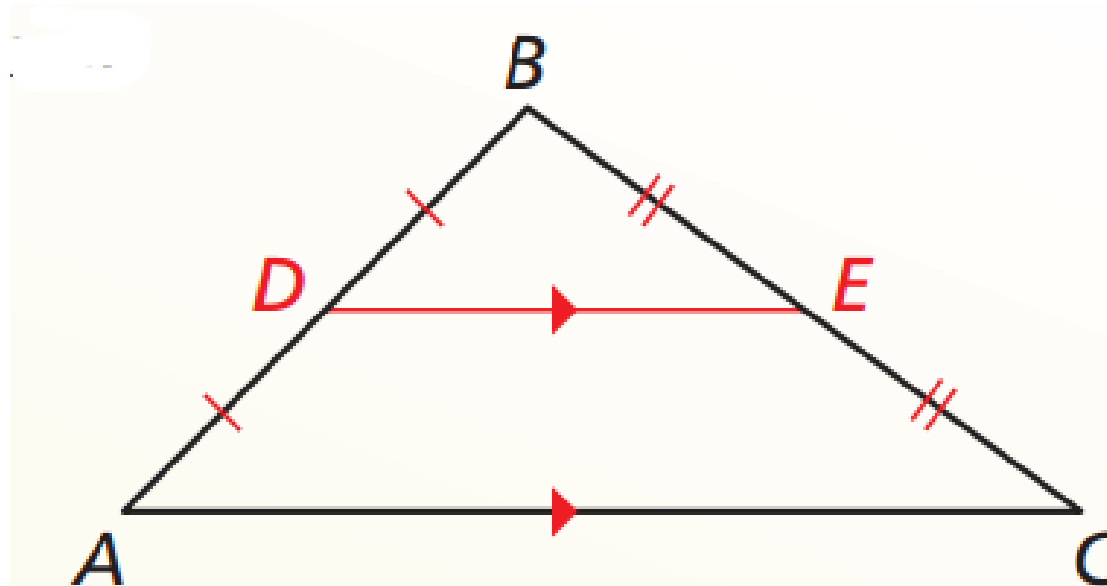
$$\begin{aligned} 2 \cdot 2 + 3 \cdot 3 &= CE^2 \\ \sqrt{4+9} &= \\ \sqrt{13} &= CE \end{aligned}$$

$$\begin{aligned} \sqrt{16+36} &= \\ \sqrt{52} &= \\ 2\sqrt{13} &= \sqrt{4 \cdot 13} \end{aligned}$$



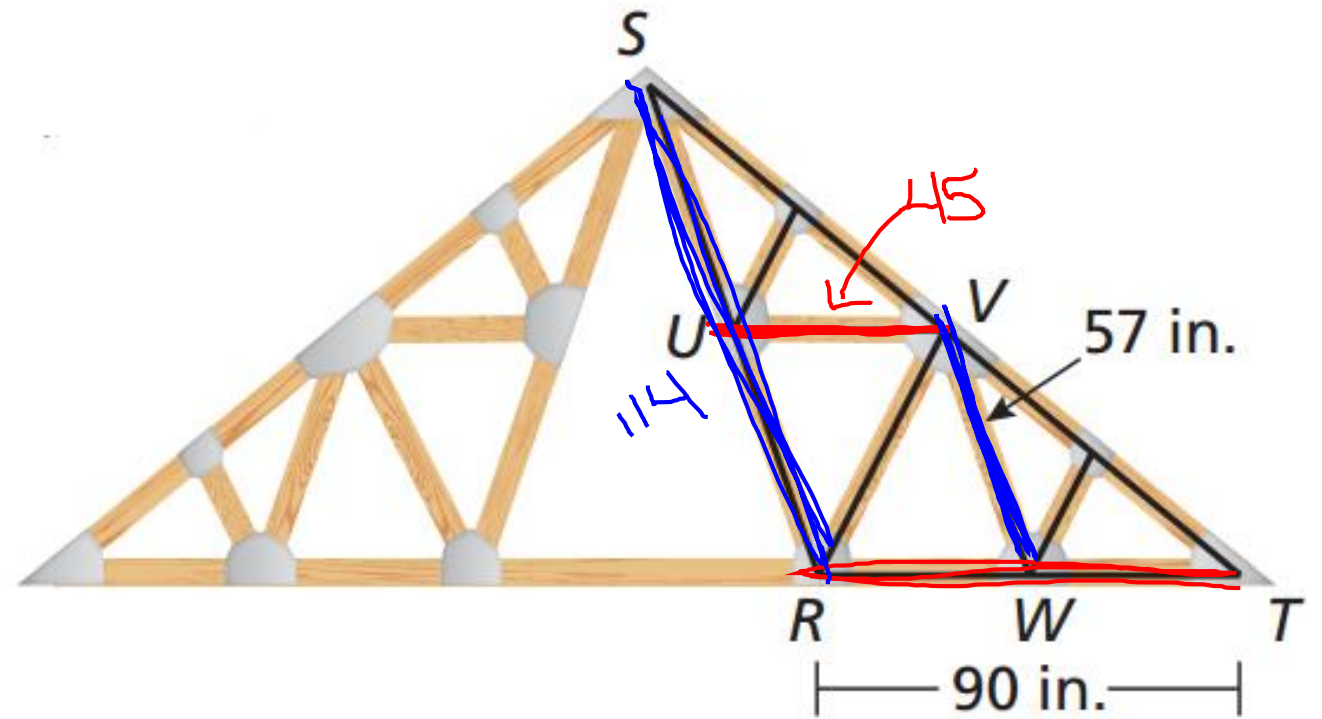
Triangle Midsegment Theorem

The segment connecting the **midpoints** of two sides of a triangle is **parallel** to the third side and is **half as long** as that side. \overline{DE} is a midsegment of $\triangle ABC$, $\overline{DE} \parallel \overline{AC}$, and $DE = \frac{1}{2}AC$.



Using the Triangle Midsegment Theorem

Triangles are used for strength in roof trusses. In the diagram, \overline{UV} and \overline{VW} are midsegments of $\triangle RST$. Find UV and RS .



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